



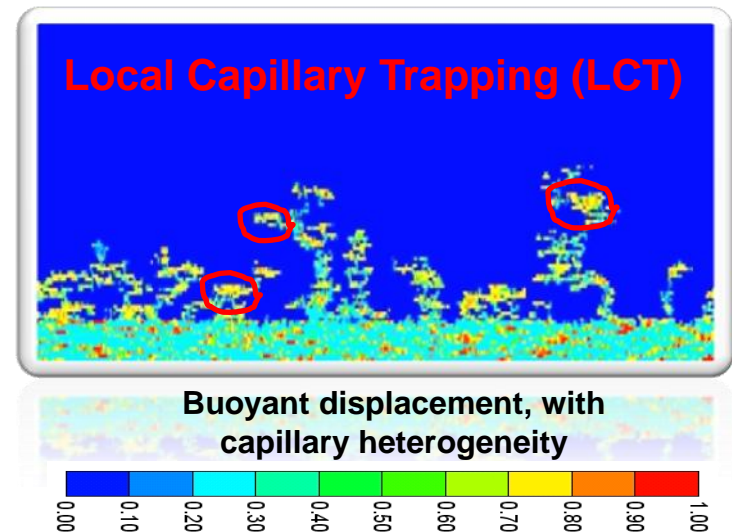
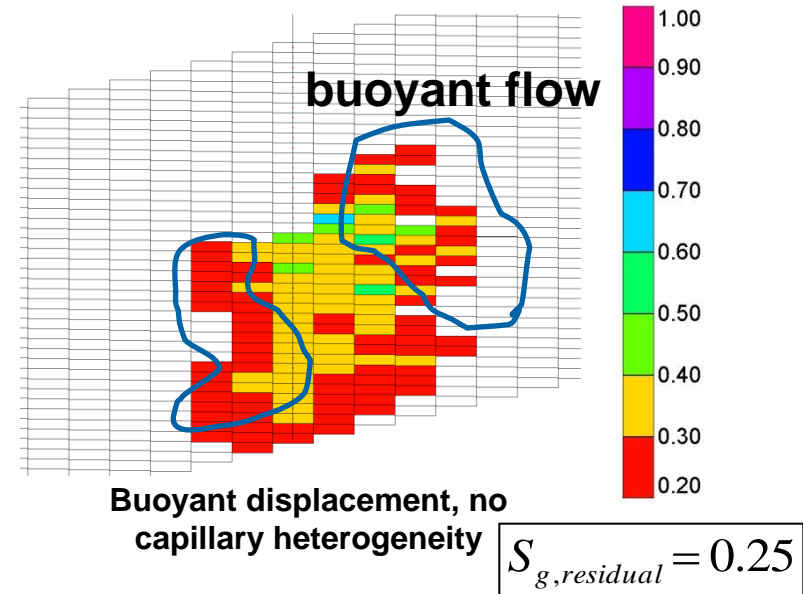
Field Scale Modeling of Local Capillary Trapping during CO₂ Injection into the Saline Aquifer

Bo Ren, Larry Lake, Steven Bryant

2nd Biennial CO₂ for EOR as CCUS Conference
Houston, TX • October 4-6, 2015

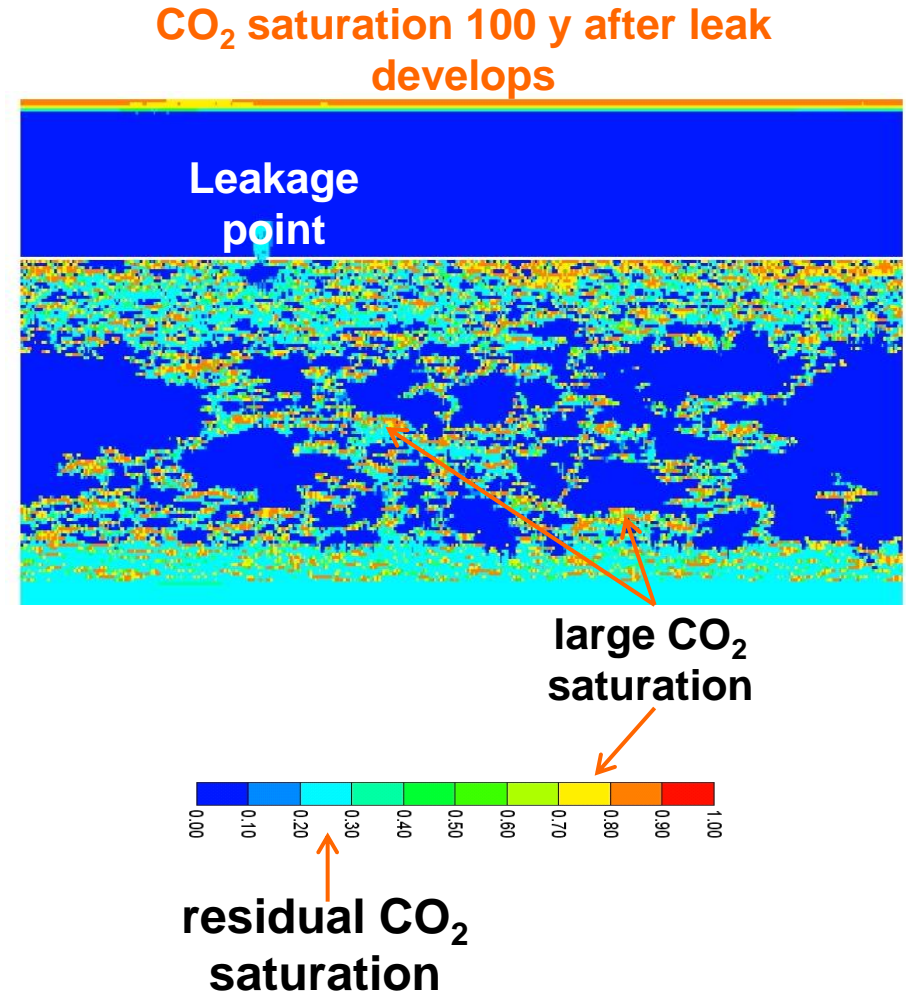
Motivation – Increased Storage Security

- **Maximum trapping when maximum contact of rising CO₂ plume with rock**
 - Compact displacement front favorable.
 - Occurs routinely in coarse-grid simulations that neglect capillary heterogeneity.
- **Heterogeneity of capillary entry pressure severely disrupts the displacement front**
 - Saadatpoor et al 2009 showed that local capillary trapping occurs.
 - Small-scale equivalent of “fill and spill” process for charging hydrocarbon reservoirs.
 - Analogous to pooling of dense non-aqueous phase liquids spilled into soils.



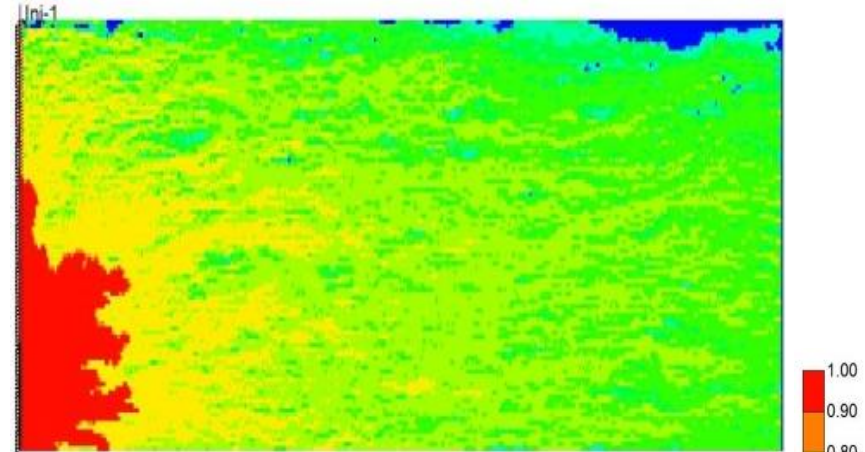
Motivation – Security Despite Compromised Seal

- Existing estimates of impact of leakage assume all mobile stored CO₂ will escape.
- **Novel concept:** CO₂ that fills local (small-scale) capillary traps in heterogeneous storage formations may remain even if structural seal is compromised.
- **Impact:** reduced risk for long-term storage, achieved by considering physical implications of geological heterogeneity.

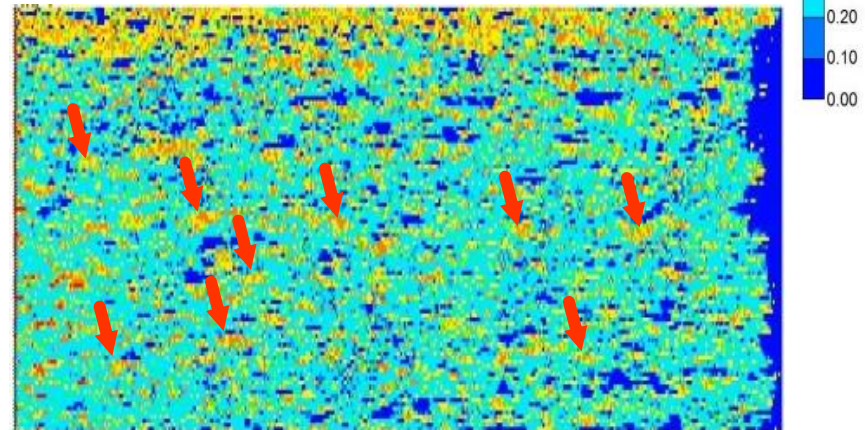


Motivation – Maximizing Safe Storage Capacity

- Local capillary traps in the near-well region can be fully filled during injection.
- They remain filled after post-injection buoyancy-driven flow ends.
- **Implications:** maximizing local capillary trapping would greatly enhance the safe storage capacity of CO₂.



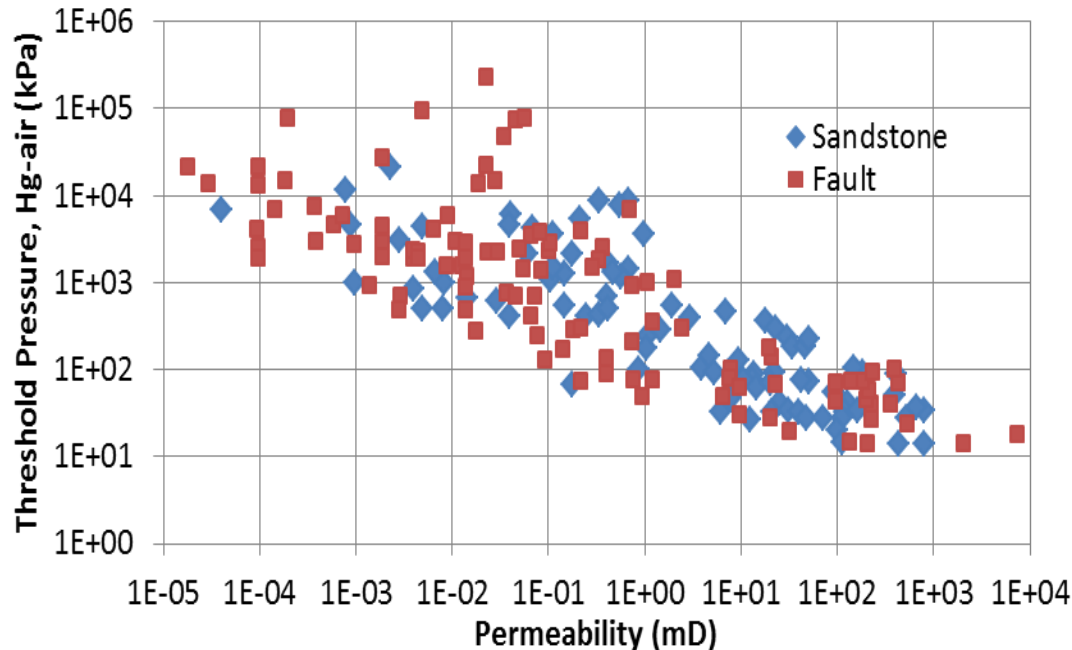
CO₂ saturation at the end of injection: perforated at the right quarter bottom, $N_{gr}=0.03$, right open boundary



CO₂ saturation at the steady state of buoyant flow

Introduction – Physical Basis

- In nature, sedimentary rocks typically exhibit heterogeneous, spatially correlated permeability field due to the microscopic structure variations.



Adapted from
Cavanagh, 2009

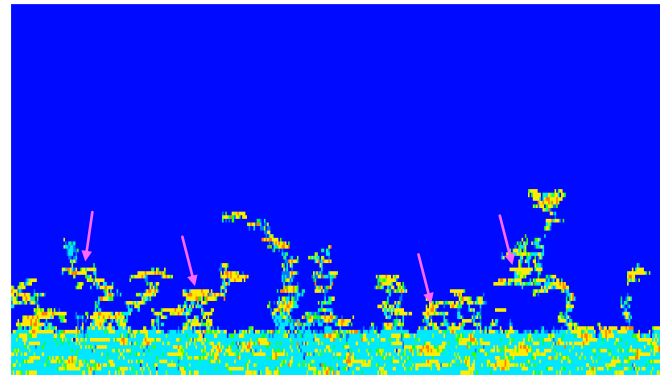
- Well established correlation exists between permeability and capillary entry pressure.

$$p_{c2}(s_w) = p_{c1}(s_w) \sqrt{\frac{k_1 \phi_2}{k_2 \phi_1}}$$

Leverett, 1941

Introduction – Modeling Local Capillary Trapping

- Mode of trapping occurs during buoyancy-driven flow in rocks exhibiting **fine-scale capillary heterogeneity**.



Grid size:
1*1*1ft

- Fine-scale simulations that resolve local heterogeneity have very large run times, intractable in 3D using Conventional Reservoir Simulator (e.g., CMG-GEM).
- Large grid blocks would smear the local capillary trapping due to upscaling.

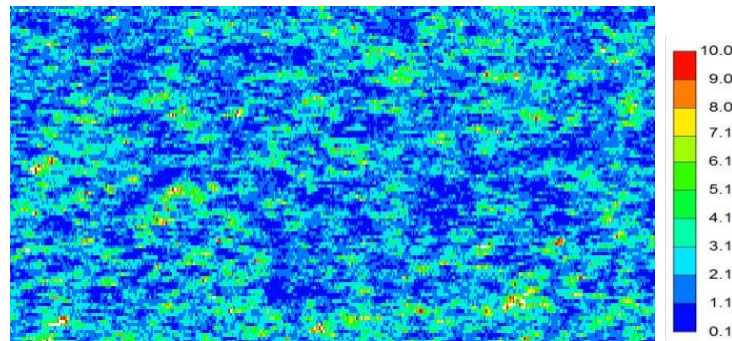
Identifying Local Capillary Traps from Geological Model

Geologic Criteria for Trapping Based on Capillary Threshold Entry Pressure

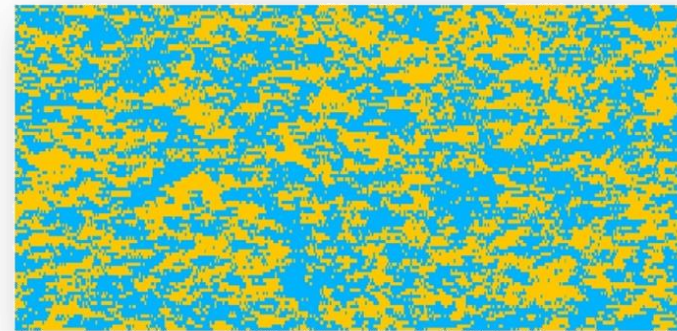
- Effectiveness of structure as local capillary trap depend on
 - Magnitude of capillary entry pressure above local traps
 - Magnitude of phase pressure in CO₂ plume
- Magnitude of entry pressure depends on
 - Microscopic: pore size distribution and connectivity
 - Macroscopic: range of permeability in the domain
- **Critical capillary entry pressure**
 - Assume single value characterize all local capillary trapping structures
 - Enable very rapid assessment of potential local traps

Algorithm for Geologic Criteria Method of Identifying Local Capillary Traps

- Set of subroutines applied to 3D domain of values of capillary entry pressure:
 1. Given a value of critical capillary entry pressure, find all cells in domain that have entry pressures exceeding the critical value (P_c^{crit}).



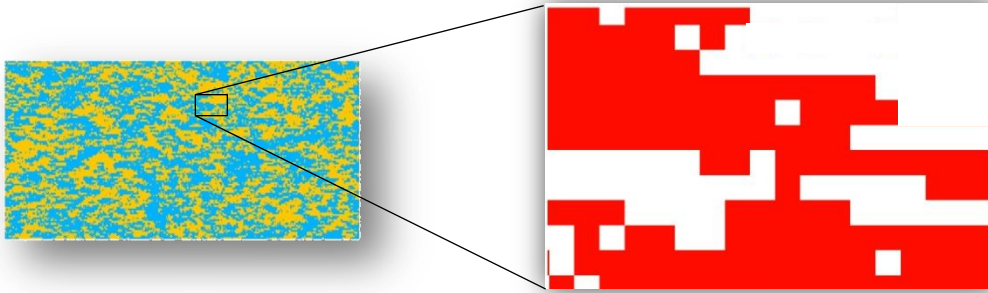
Heterogeneous capillary entry pressure



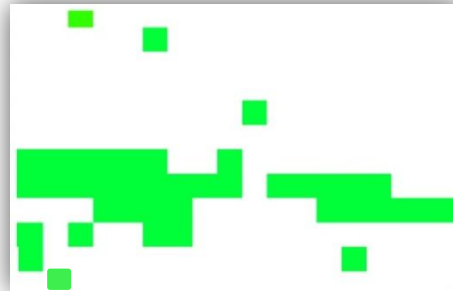
Orange cells have $P_{c,entry} > P_c^{crit}$

Algorithm for Geologic Criteria Method of Identifying Local Capillary Traps

2. Find all connected clusters in the set of cells from step 1 (barriers)

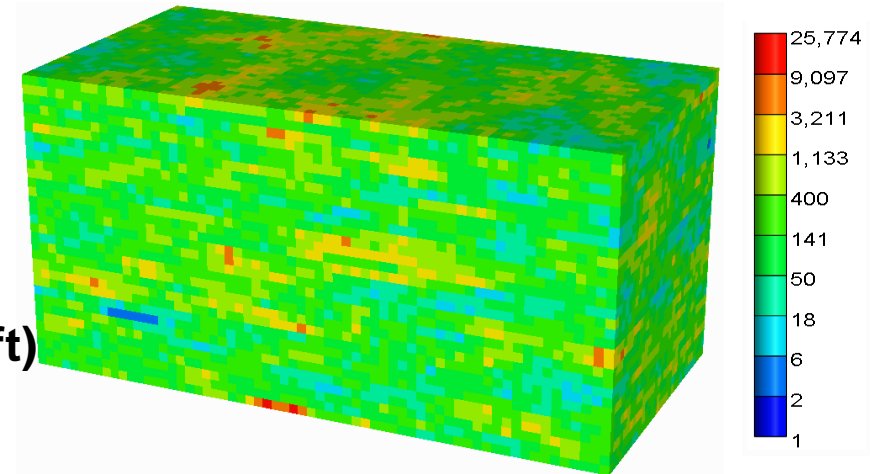


3. Find non-barrier clusters that are surrounded by set of clusters from step 2 (local capillary traps)

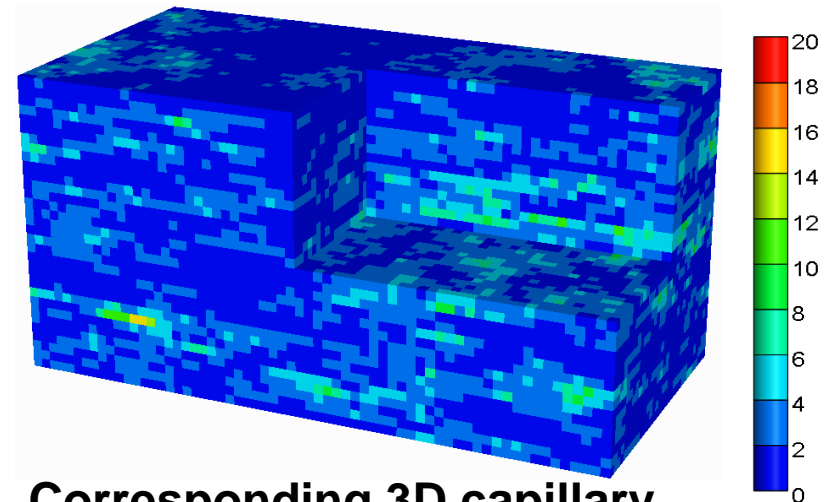


Results from Geologic Criteria

- **3D**
 - **64 x 32 X 32 ft**
 - **1 x 1 x 1 ft grid block**
 - **Correlated in x and y direction (5 x 5ft)**
 - **Uncorrelated in vertical direction**
 - **Perm_avg = 403 mD**
-
- Choose **critical entry pressure** to be equal to 1.2 psi.



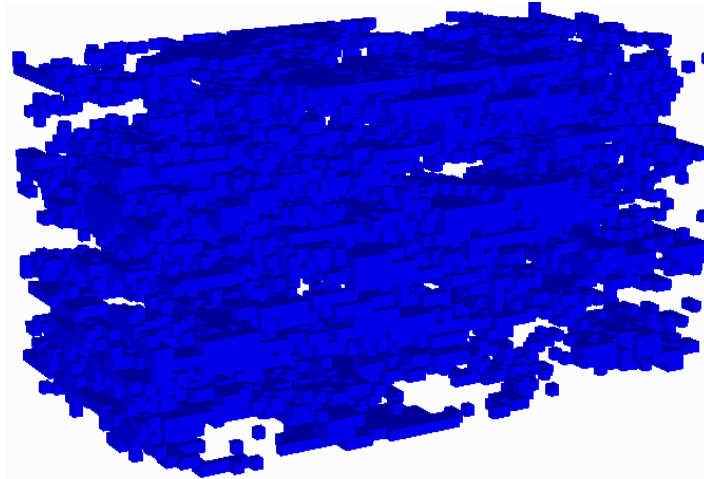
Sample 3D permeability field



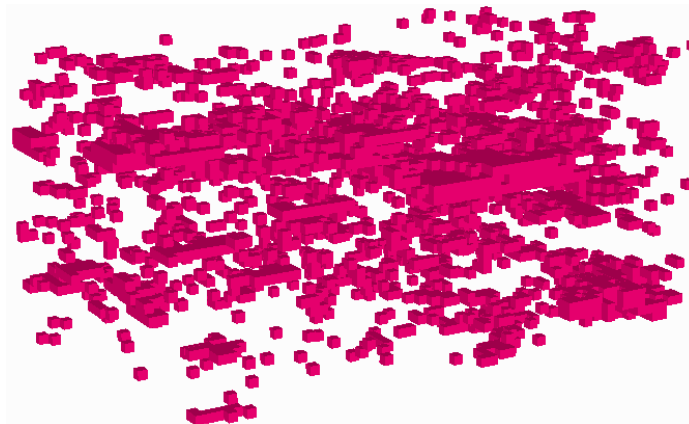
Corresponding 3D capillary entry pressure field

Results from Geologic Criteria

- **Step 2: non-barrier grid blocks in the blue color**

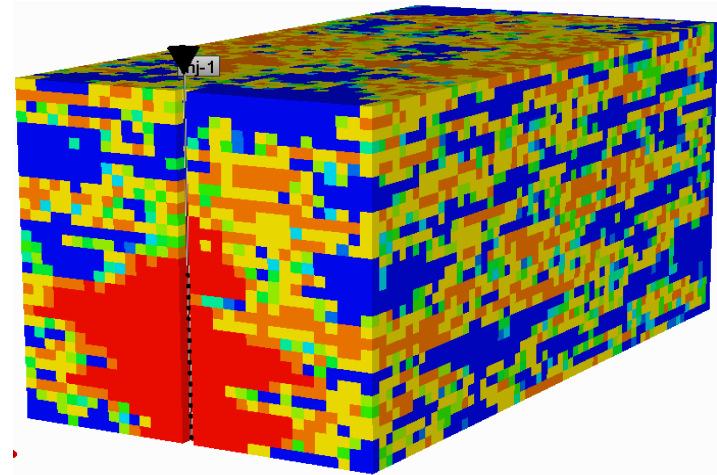


- **Step3: local capillary traps predicated from the geologic method account for 6% of the total pore volume.**

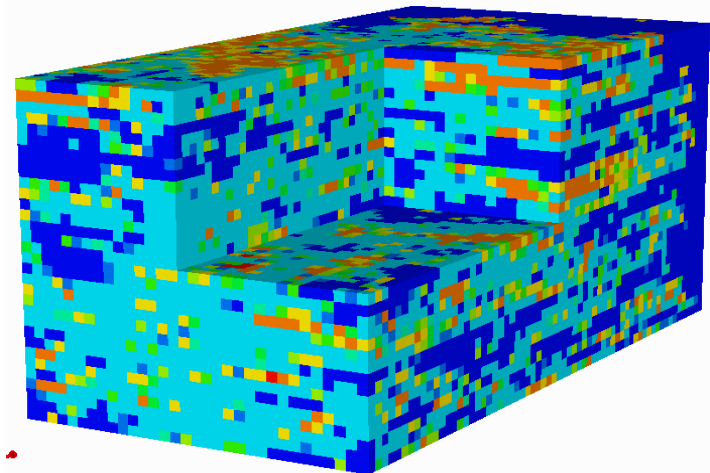


Results from CMG-GEM Simulator

- **CO₂ Injection Simulation**
 - Vertical injector perforated at left bottom (16 ft)
 - Injection rate: 3E+5 Scf/d
 - Injection period: 70 day
 - Simulation period: 50 yr
 - Boundary: **flowing boundary on right**
- Scattered accumulations of high CO₂ saturation (yellow to red) are local capillary trapping.



CO₂ saturation at the end of injection

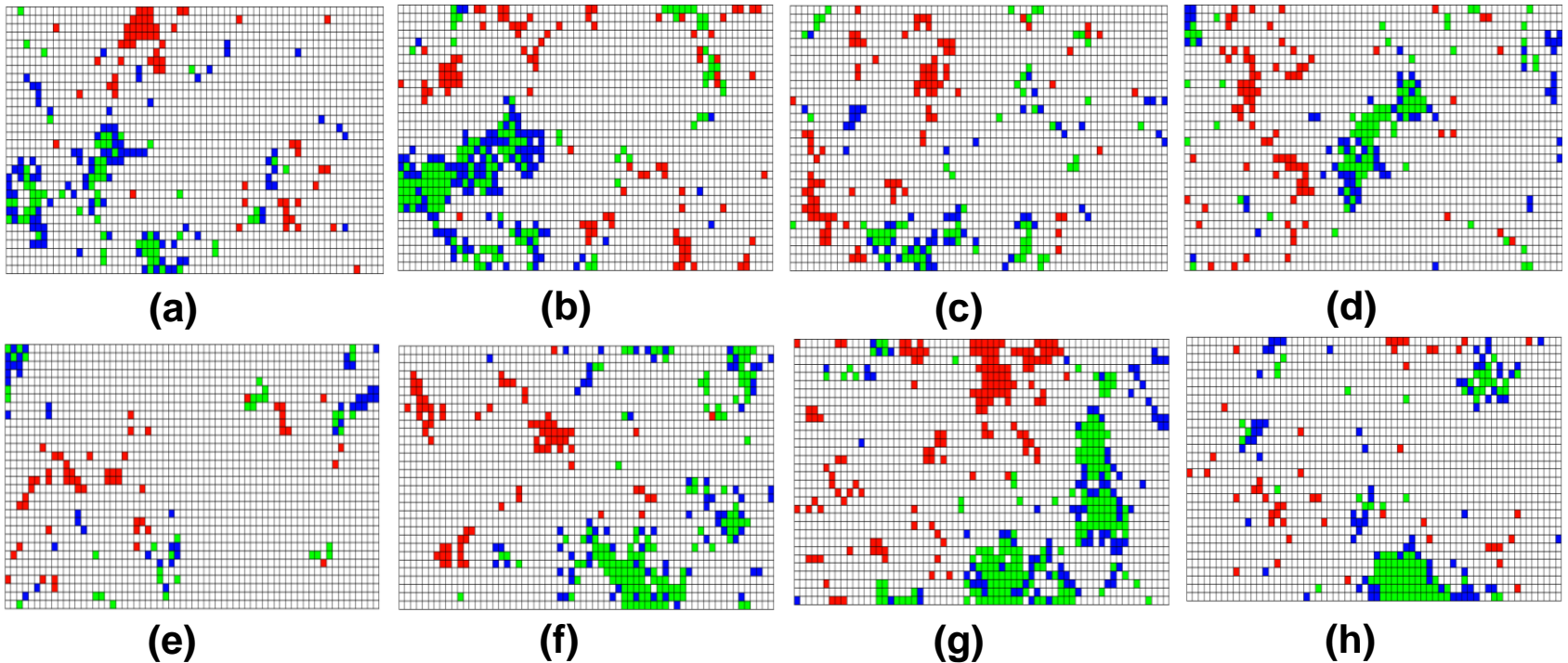


CO₂ saturation at the steady state of buoyant flow (50 yr)



Comparison of Local Capillary Traps Predicted by Simulation Method and Geologic Criteria

- Top areal view of local capillary traps predicted by the two methods.



- Figures (a) through (h) show layer 7 through 14, respectively.



Incorporating CO₂ Flow Dynamics into the Geologic Criteria

Using Connectivity Analysis to Approximate CO₂ Plume Behavior during injection.

Hirsch and Schuette (1999): The grid blocks are connected with edges and the edges are weighted by reservoir parameters that impact connectivity such as porosity and permeability.

$$\text{Edge weight} = \frac{\sqrt{Vp_i * Vp_j}}{T_{ij}} \quad [-] \text{ unit less}$$

Vp = pore volume;

i, j = indexes of grid blocks;

$T_{i,j}$ = transmissivity between grid blocks $\left(T = K \frac{A}{L} \right);$

$$\text{Modified Edge weight} = \mu_{CO_2} * \frac{\overline{S_{CO_2}} * \sqrt{Vp_i * Vp_j}}{T_{ij} * \overline{k_{r,CO_2}} * (\Delta P_{ij} + \Delta(\rho gh)_{ij})} \quad [\text{Sec}]$$

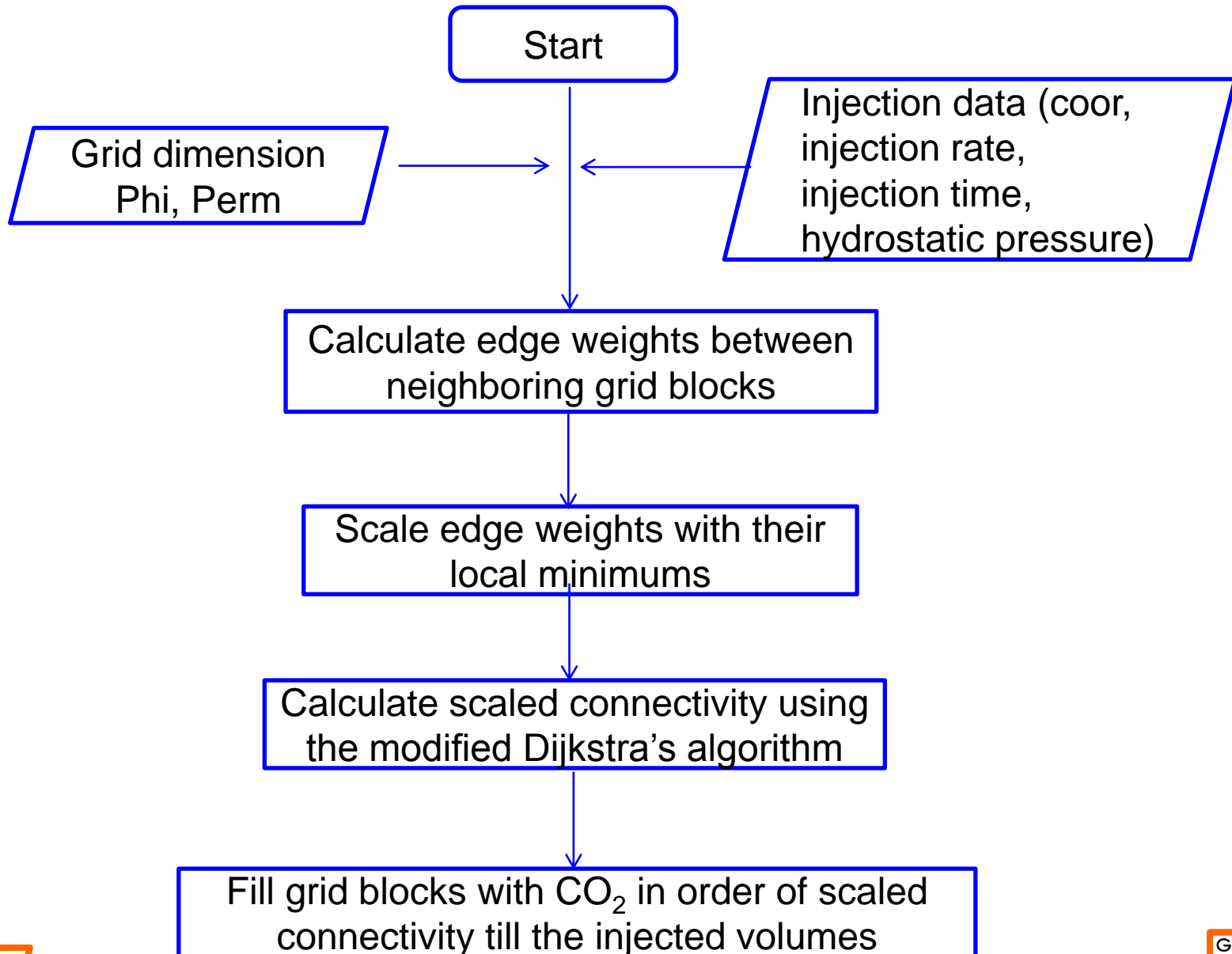
$\overline{S_{CO_2}}$ = average CO₂ saturation determined from fractional flow curve;

$\overline{k_{r,CO_2}}$ = CO₂ relative perm at the end point;

ΔP_{ij} = pressure difference between grids i and j , use the steady state radial flow in the homogenous media to calculate it.

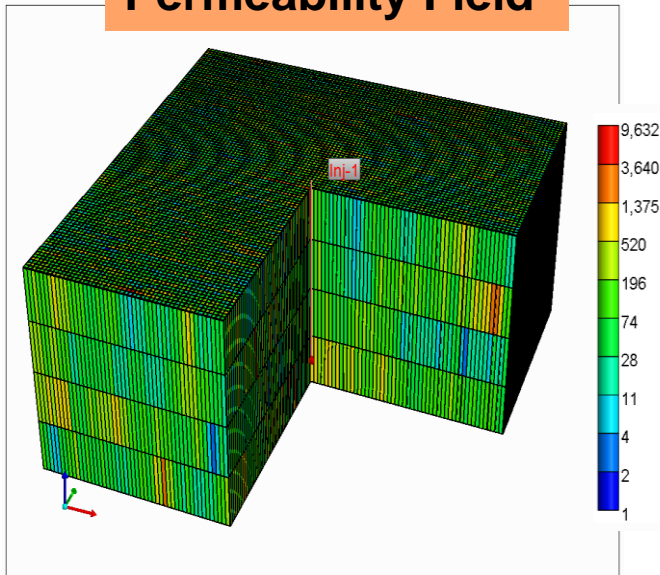
Time needed to fill the given pore volume with a fluid of unit viscosity under a unit pressure gradient.

Flow Chart of Connectivity Analysis



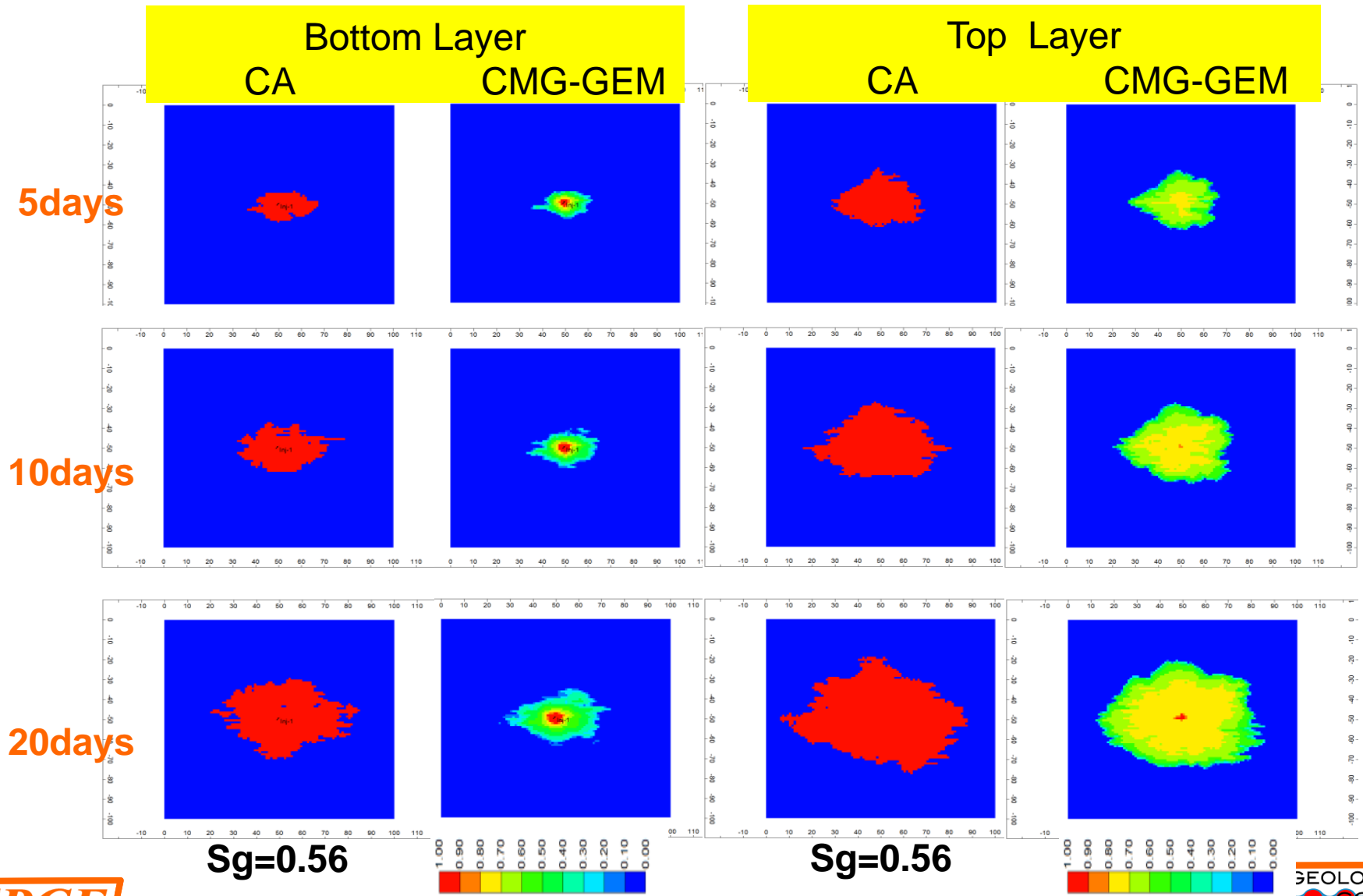
Verification Connectivity Analysis (CA) using CMG-GEM: 3D Case

Permeability Field

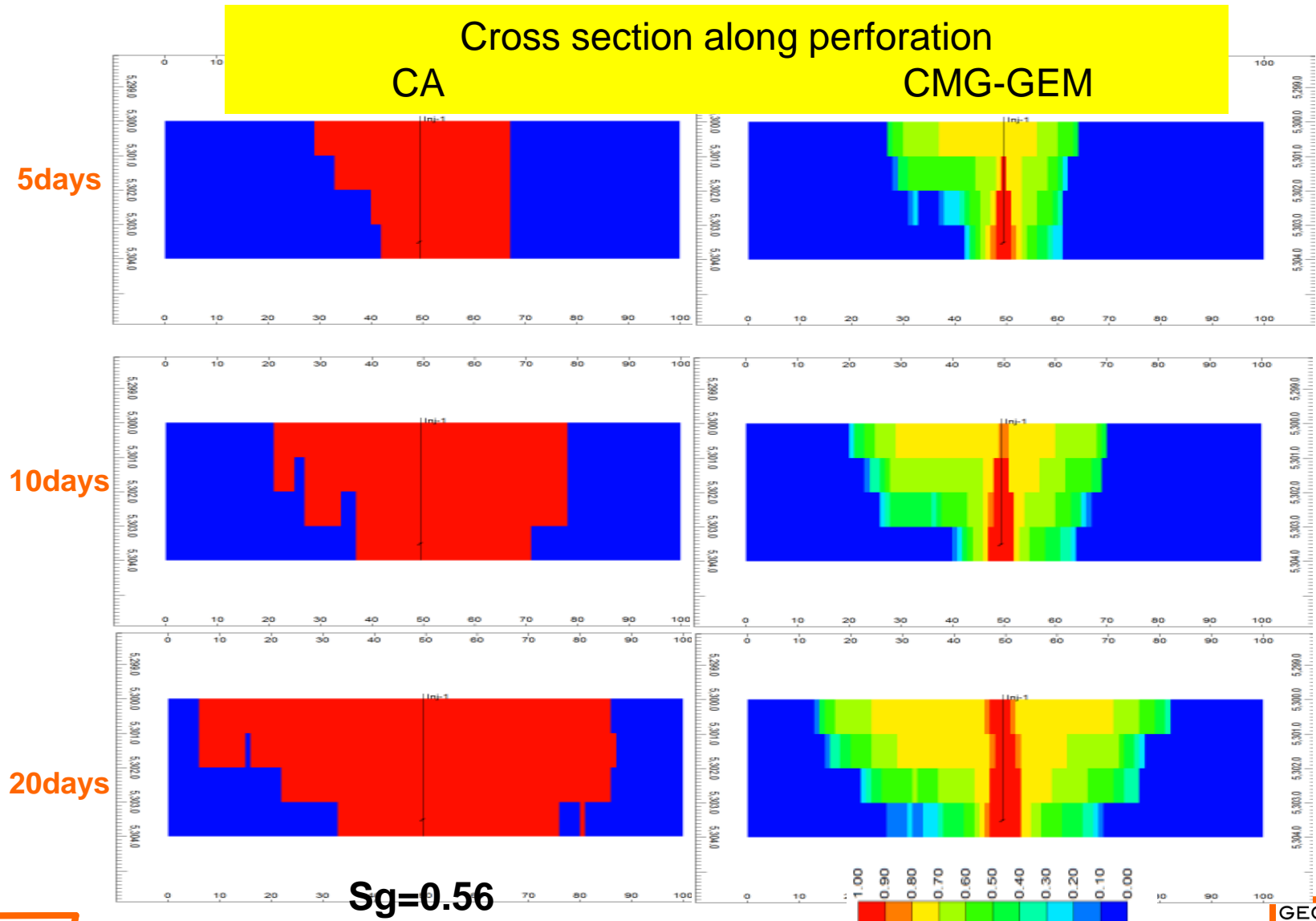


Grid Dimension	100*100*4
Grid Size, ft	1*1*1
Well type	Vertical injector
Injection rate (RC ft ³ /d)	60
Injection time, day	20
Perforation grid	(50,50,4)
Fluid property	
CO ₂ volume ratio RC/SC	3.02E-3
CO ₂ viscosity (RC, cp)	8.61E-2
CO ₂ density (RC, kg/m ³)	618.70
Water density (RC, kg/m ³)	1024.60
CA input parameters	
Average CO ₂ saturation	0.56
Endpoint CO ₂ relative perm	0.86

Comparison of CO₂ Saturation between Connectivity Analysis (CA) and CMG-GEM



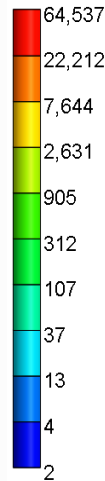
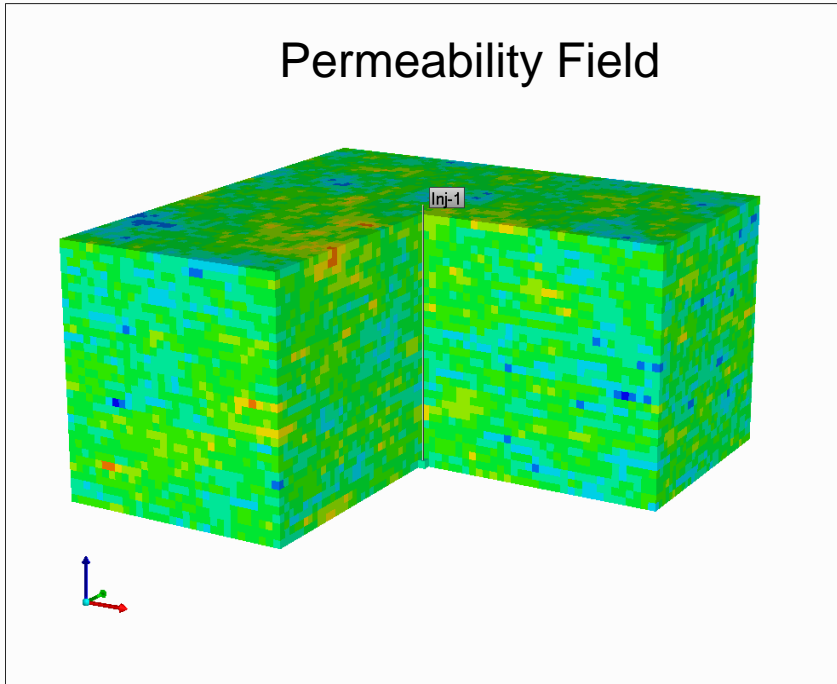
Comparison of CO₂ Saturation between Connectivity Analysis (CA) and CMG-GEM



**Using Connectivity Analysis + Geologic Criteria
to Predict the Local Capillary Trapping Under
the Real Injection Scenarios in the Different
Heterogeneous Storage Domains**

3D Model: Base Case

Permeability Field



3D Model (base case)	
Grid Dimension	64*64*32
Grid Size, ft	1*1*1
Permeability correlation, ft	4x4x1
Ln(perm),avg	5.27
Ln(perm),std	1.20
Dykstra Parsons Coe (V_dp)	0.70
Porosity	0.27
Injection configuration	
Well type	Vertical injector
Injection rate (MM Scf ³ /d)	0.10
Injection time, day	10
Perforation grid	(32,32,32)
Fluid property	
CO ₂ volume ratio RC/SC	3.02E-3
CO ₂ viscosity (RC, cp)	8.61E-2
CO ₂ density (RC, kg/m ³)	618.70
Water density (RC, kg/m ³)	1024.60
Connectivity Analysis parameters	
Average CO ₂ saturation	0.56
Endpoint CO ₂ relative perm	0.86

CO₂ Plume in the Top layer at the End of Injection from Connectivity Analysis: Effect of Dykstra Parsons Coefficient (V_{dp})

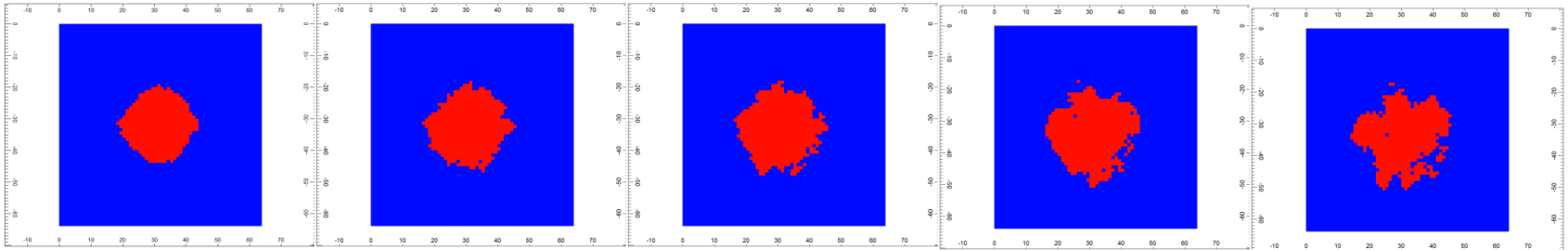
$V_{dp}=0.2603$

$V_{dp}=0.4528$

$V_{dp}=0.5952$

$V_{dp}=0.7005$

$V_{dp}=0.7785$



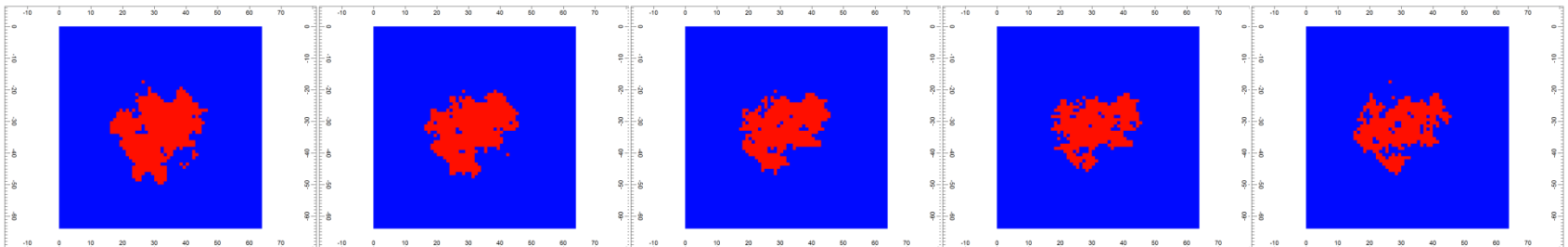
$V_{dp}=0.8361$

$V_{dp}=0.8788$

$V_{dp}=0.9103$

$V_{dp}=0.9337$

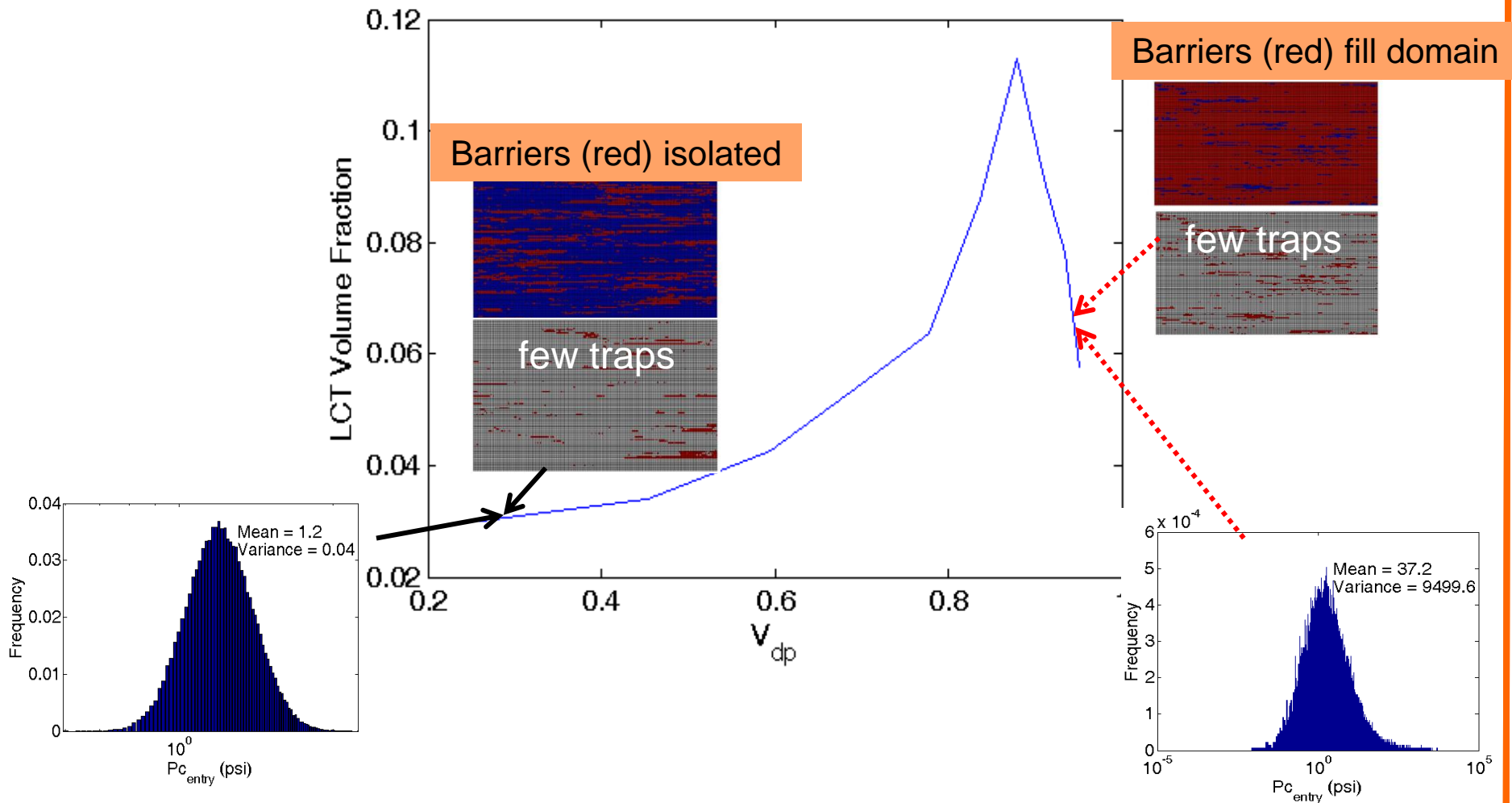
$V_{dp}=0.9509$



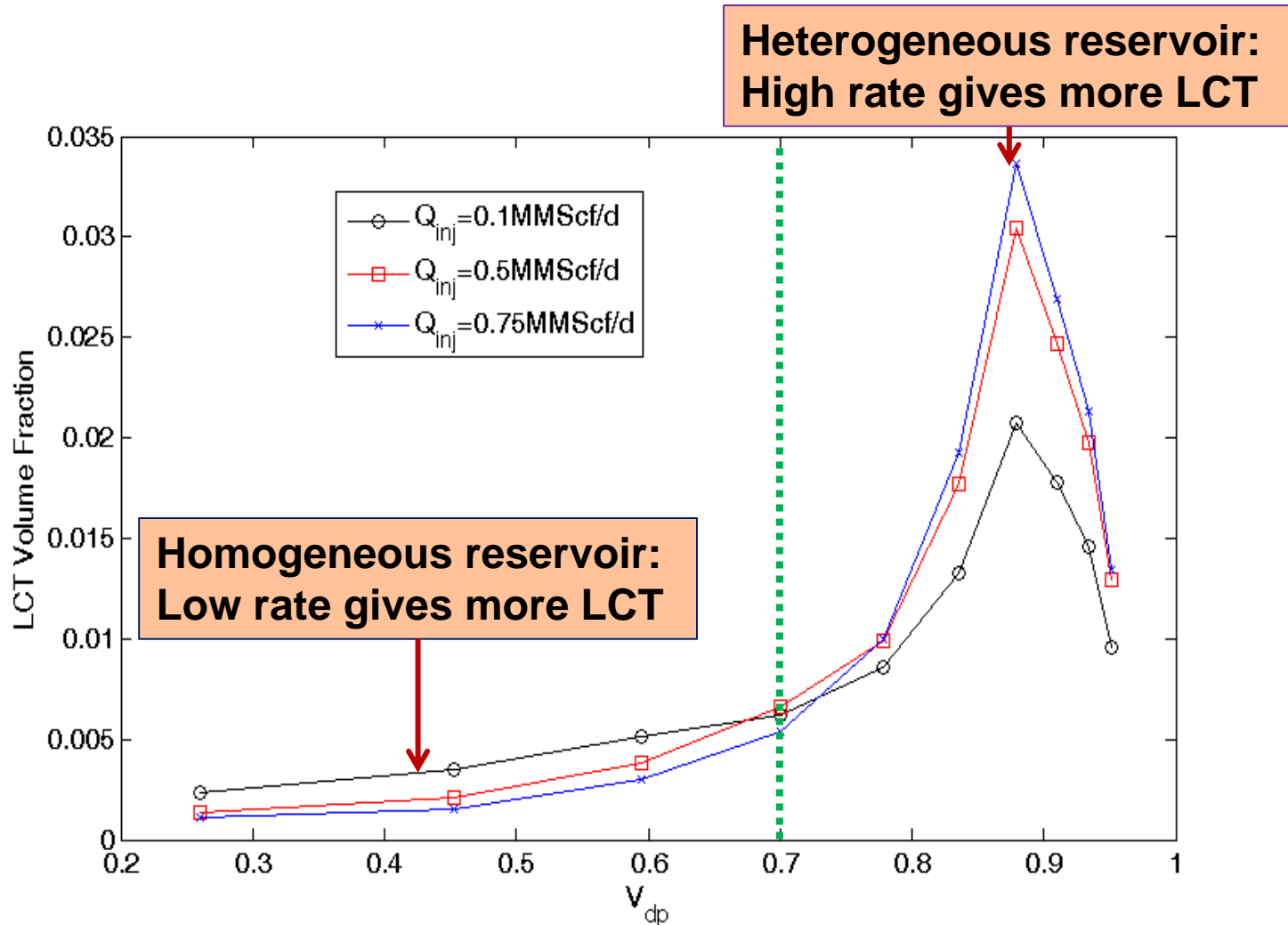
Connectivity Analysis is effective in predicting CO₂ plume behavior in the geologic fields with different level of heterogeneity (V_{dp}).

Effect of Dykstra Parsons Coefficient (V_{dp}) on LCT from Geologic Criteria

Choose critical capillary entry pressure to be equal to 1.2 psi.



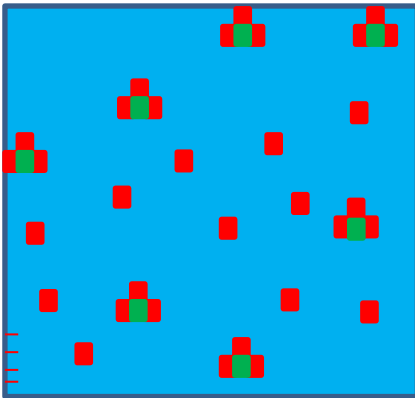
Effect of Injection Rate on LCT for Different Heterogeneous (V_{dp}) Models



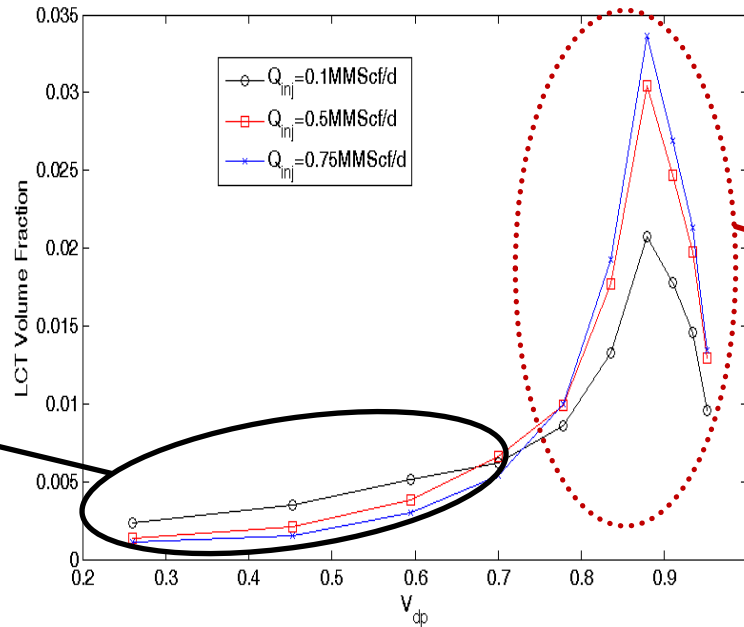
Combine Geologic Criteria with Connectivity Analysis

Effect of Injection Rate on LCT for Different Heterogeneous (V_{dp}) Models (Schematic Explanation)

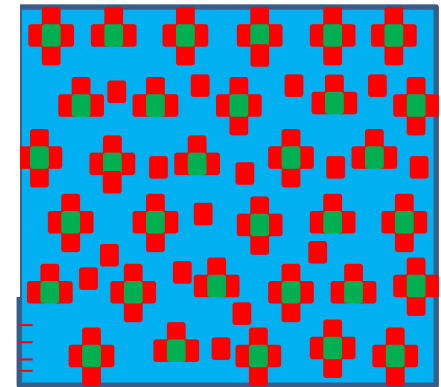
Flow path fill the domain



Small rate avoids the barriers and flow farther, thus gives rise to more likely of filling the local capillary traps.



Barrier fill the domain



High rate could sweep the barriers and fill the traps surrounded by barriers.

Legend

- Barrier grid
- LCT grid
- Flow path grid
- ≡ Perforation grid

Summary and Conclusions

- **local capillary traps in the near-well region can be fully filled during injection. Moreover, they remain filled after post-injection buoyancy-driven flow ends.**
- **Final CO₂ distribution is controlled by local capillary traps intrinsic to the capillary pressure heterogeneity .**
- **Geologic Criteria gives fast and good prediction of local capillary traps in the CO₂ swept zone during injection.**
- **The extended connectivity analysis shows a good match of CO₂ plume computed by the full-physics simulation (CMG-GEM).**
- **There exists a threshold Dykstra-Parsons coefficient, below which low injection rate gives rise to more LCT; whereas higher injection rate increases LCT in heterogeneous reservoirs.**
- **Both the geologic criteria and connectivity analysis are very fast; therefore, the integrated methodologies can be used as a quick tool to estimate local capillary trapping at the field scale.**

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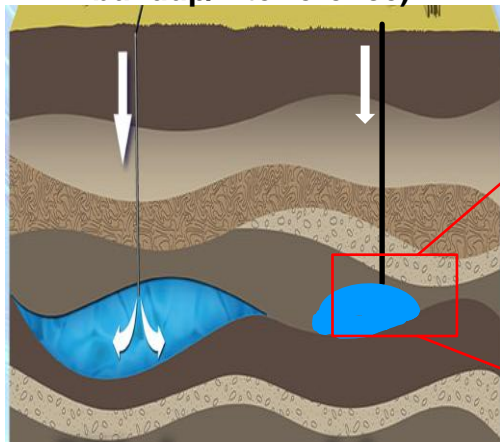
Thank you very much!
Q&A

Email: boren@utexas.edu

Back-up Slides

Spatial Scales in Geological Carbon Sequestration

Basin Scale
(10~100 km pressure buildup/interference)



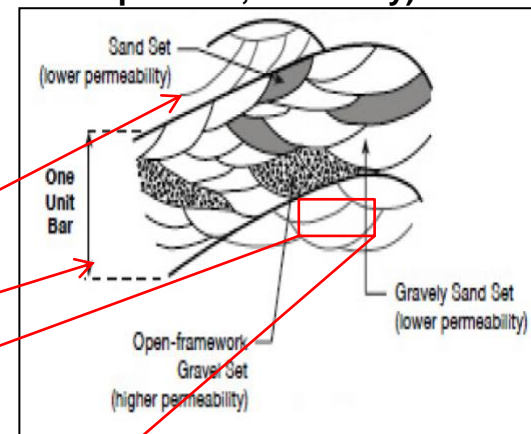
Adapted from <http://www.utefrc.org/>

Stratum Scale
(~ km plume shape, secondary seal)

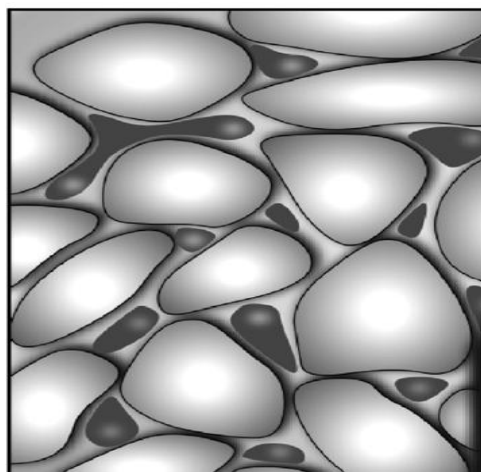


(e.g., Zhou et al., 2010)

Depositional Unit Scale
(~m, lithoface scale, CO₂ trapping process, efficiency)

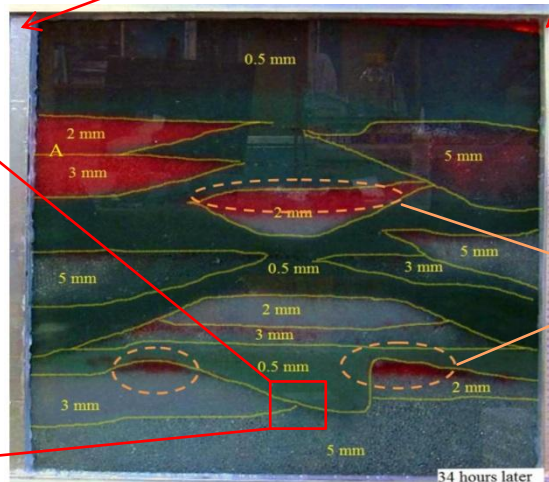


(Gershenson et al., 2015)



(Bachu, 2008)

Pore/Grain Scale
(μm ~ cm, coordination number, residual trapping)

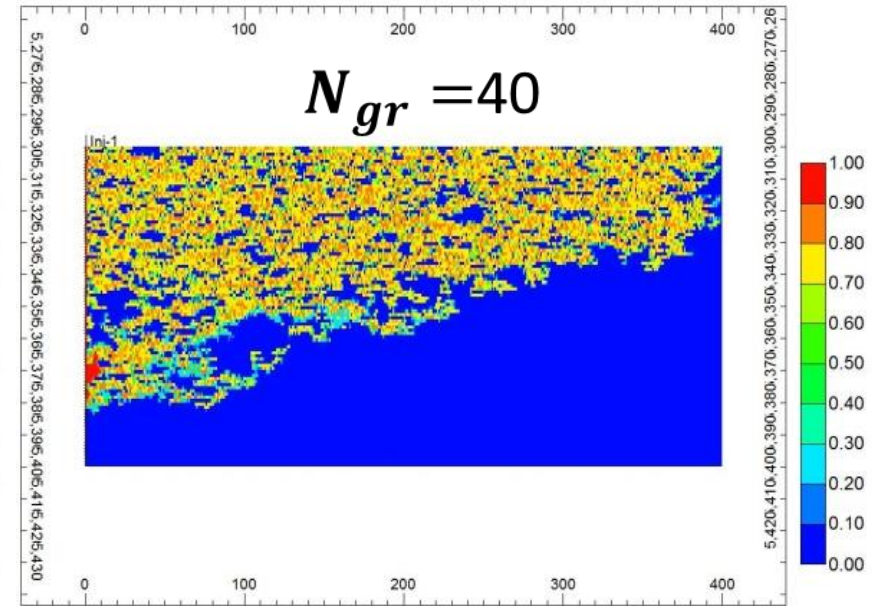
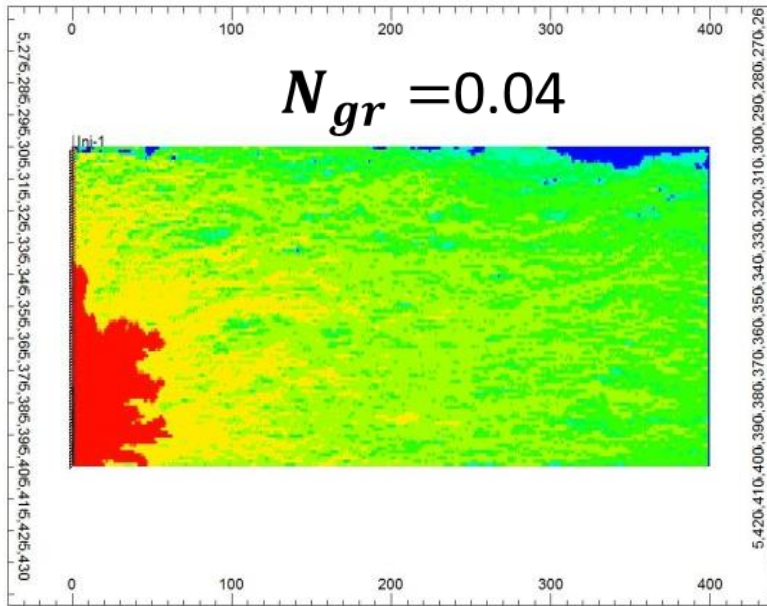


(Sun, 2014)

Bench Scale
(cm~m, grain size variation, distribution of small heterogeneity, final CO₂ distribution)

Local Capillary Trapping

As gravity number increases, flow changes from compact displacement to capillary-channeling



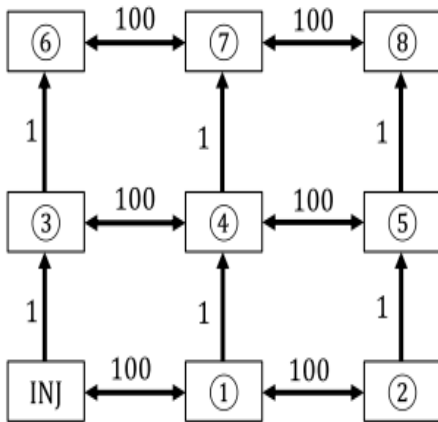
CO₂ saturation at the end of injection.

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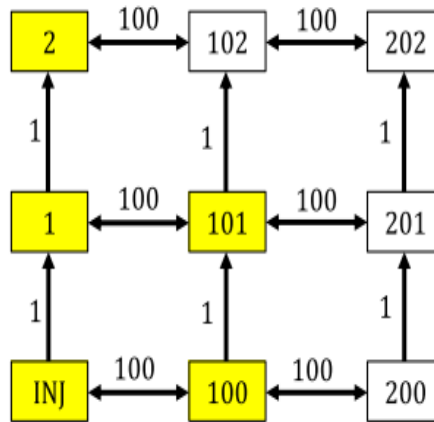
Difference between Local Capillary Trapping and Residual Trapping

Difference	Local Capillary Trapping	Residual Gas Trapping
Origin	Intra-reservoir capillary barriers	Snap-off
Porous Media	Heterogeneous	Homo/heterogeneous
Displacement Type	Drainage	Imbibition
Trapped CO ₂ Saturation	$S_{gr,max} < S_{LCT} < 1 - S_{wr}$	$S_{gr} \leq S_{gr,max}$
Scale of Trapping	$10^{-2} \sim 10^{+1} m$	$\sim \mu m$
Influential Factor	Gas column height Entry capillary pressure, correlation length	Wettability, porosity, pore connectivity and et al
Interplay	Residual and LCT compete with each other	

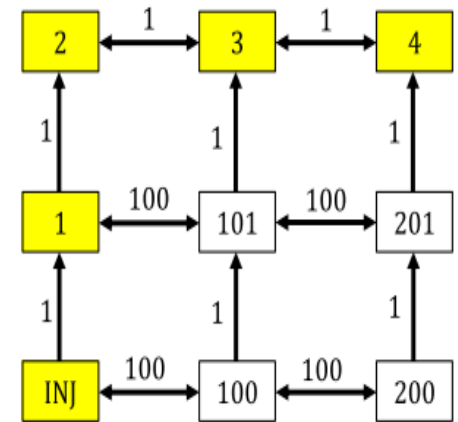
Scaled Connectivity Analysis



(a) a graph



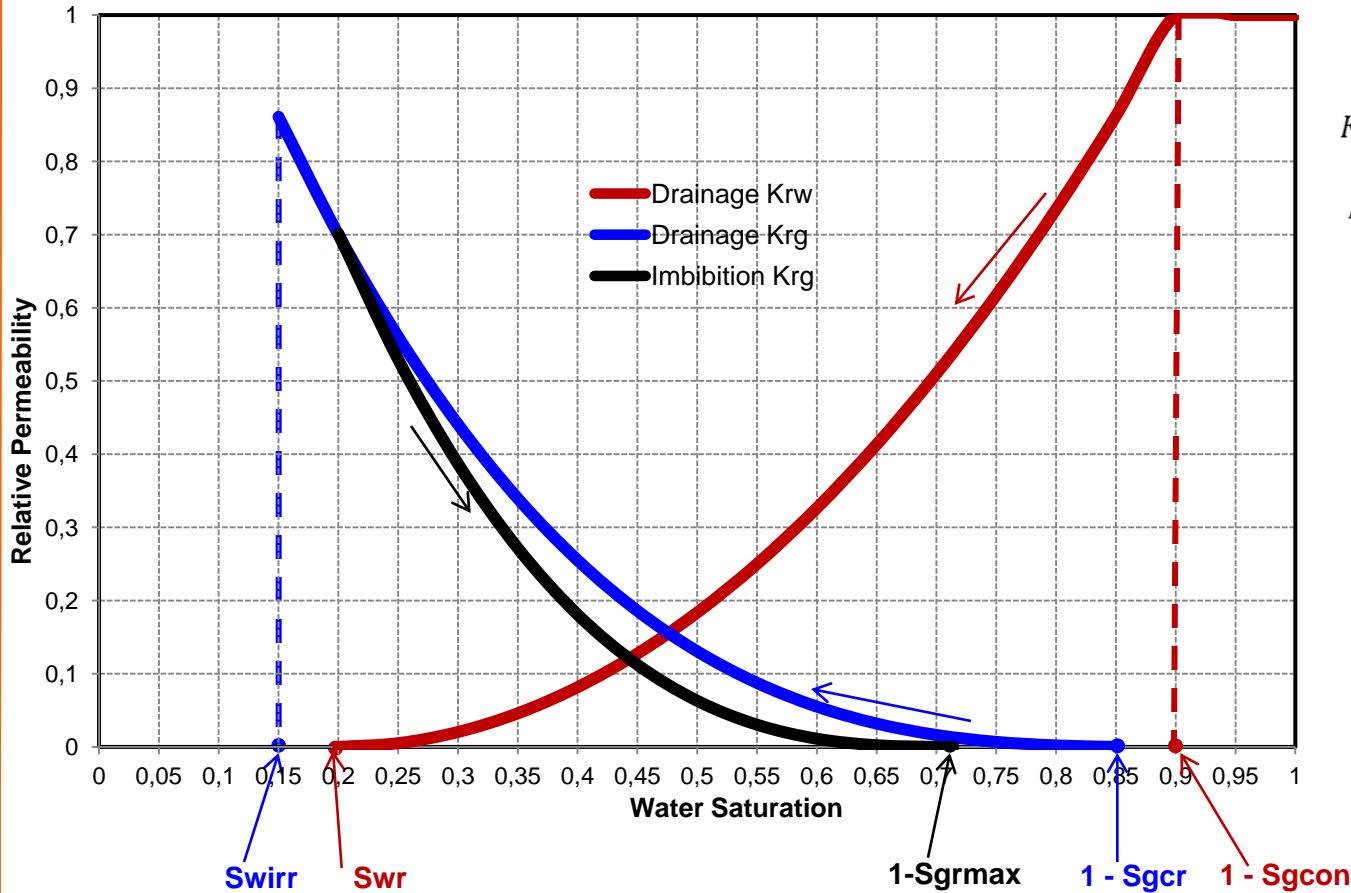
(b) original connectivity analysis



(c) scaled connectivity analysis

Scaled connectivity analysis is used to enhanced the influence of buoyancy on the CO₂ plume behavior.

Relative Permeability with the Maximum Residual Gas Saturation equal to 0.286.



$$K_{rg} = K_{rg}^0 \left(\frac{S_g - S_{gcr}}{1 - S_{wirr} - S_{gcr}} \right)^{N_g}$$

$$K_{rw} = K_{rw}^0 \left(\frac{S_w - S_{wr}}{1 - S_{gcon} - S_{gwr}} \right)^{N_w}$$

Krg0	0.86
Sgcon	0.10
Sgcr	0.15
Ng	2.75
Krw0	1.00
Swirr	0.15
Swr	0.20
Nw	2.00

Capillary Pressure Curve

